

# References

## Section 1.1: Introduction

- Barbe, P., Genest, C., Ghoudi, K. Rémillard, B. (1996). On Kendall's process. *J. Multivariate Anal.* **58**, 197-229.
- Cantelli, F. P. (1933). Sulla determinazione empirica delle leggi di probabilita. *Giorn. Ist. Ital. Attuari* **4**, 421 - 424.
- Donsker, M. D. (1952). Justification and extension of Doob's heuristic approach to the Kolmogorov-Smirnov theorems. *Ann. Math. Statist.* **23**, 277-281.
- Dudley, R. M. (1978). Central limit theorems for empirical measures. *Ann. Probab.* **6**, 899-929.
- Genest, C. and Rivest, L.-P. (1993). Statistical inference procedures for bivariate Archimedean copulas. *J. Amer. Statist. Assoc.* **88**, 1034-1043.
- Glivenko, V. (1933). Sulla determinazione empirica della legge di probabilita. *Giorn. Ist. Ital. Attuari* **4**, 92-99.
- Pollard, D. (1989). Asymptotics via empirical processes. *Statist. Sci.* **4**, 341 - 366.
- Vapnik, V. N. and Chervonenkis, A. Ya. (1971). On the uniform convergence of relative frequencies of events to their probabilities. *Theory of Probability and Its Applications* **16**, 264 - 280.

## Section 1.2: Weak Convergence: the fundamental theorems

- Andersen, N. T. (1985). The central limit theorem for non-separable valued functions. *Zeitschrift für Wahrscheinlichkeitstheorie und Verwandte Gebiete* **70**, 445 - 455.
- Andersen, N. T. and Dobric, V. (1987) The central limit theorem for stochastic processes. *Ann. Probability* **15**. 164 - 177.
- Billingsley, P. (1968). *Convergence of Probability Measures*. Wiley, New York.
- Billingsley, P. (1999). *Convergence of Probability Measures*. Wiley, New York.
- de la Peña, V. H., and Giné, E. *Decoupling. From dependence to independence*. Springer-Verlag, New York, 1999.
- Hoffmann-Jørgensen, J. (1984). *Stochastic Processes on Polish Spaces*. Unpublished.
- Hoffmann-Jørgensen, J. (1991). *Stochastic Processes on Polish Spaces*. Various Publication Series **39**. Aarhus Universeitet, Aarhus, Denmark.
- Van der Vaart, A. W. and Wellner, J. A. (1996). *Weak Convergence and Empirical Processes*. Springer-Verlag, New York.

## Section 1.3: Maximal inequalities and chaining

- de la Peña, V. H., and Giné, E. *Decoupling. From dependence to independence*. Springer-Verlag, New York, 1999.

Dudley, R. M. (1999). *Uniform Central Limit Theorems*. Cambridge Univ. Press, Cambridge.

Fernique, X. (1997). *Fonctions Aléatoires Gaussiennes, Vecteurs Aléatoires Gaussiens*. Publications du Centre de Recherches Mathématiques, Montréal.

Giné, E., Mason, D. M., and Zaitsev, A. Yu. (2003). The  $L_1$ -norm density estimator process. *Ann. Probability* **31**, 719 - 768.

Giné, E. and Zinn, J. (1984). Some limit theorems for empirical processes. *Ann. Probab.* **12** (1984), 929-989.

Ledoux, M. and Talagrand, M. (1991). *Probability in Banach Spaces*. Springer-Verlag, Berlin.

Resnick, S. (1987). *Extreme Values, Regular Variation, and Point Processes*. Springer-Verlag, New York.

#### **Section 1.4: Some Results for Gaussian Processes**

Adler, R. J. (1990). An Introduction to Continuity, Extrema, and Related Topics for General Gaussian Processes. *IMS Lecture Notes - Monograph Series* **12**. Institute for Mathematical Statistics, Hayward.

Borell, C. (1975). The Brunn-Minkowski inequality in Gauss space. *Inventiones Mathematicae* **30**, 205-216.

Dudley, R. M. (1999). *Uniform Central Limit Theorems*. Cambridge Univ. Press, Cambridge.

Ibragimov, I. A., Sudakov, V. N., and Tsirel'son, B.S. (1976). Norms of Gaussian sample functions. *Proceedings of the Third Japan-USSR Symposium on Probability Theory. Lecture Notes in Mathematics* **550**, 20 - 41. Springer-Verlag, New York.

Ledoux, M. and Talagrand, M. (1991). *Probability in Banach Spaces*. Springer-Verlag, Berlin.

#### **Section 1.5: Inequalities for Sums of Independent Processes**

de la Peña, V. H., and Giné, E. (1999). *Decoupling. From dependence to independence*. Springer-Verlag, New York.

Hoffmann-Jørgensen, J. (1974). Sums of independent Banach space valued random variables. *Studia Mathematica* **52**, 159 - 186.

Johnson, W. B., Schechtman, G., and Zinn, J. (1985). Best constants in moment inequalities for linear combinations of independent and exchangeable random variables. *Ann. Probability* **13**, 234-253.

Rosenthal, H. P. (1970). On the subspaces of  $L_p$  ( $p > 2$ ) spanned by sequences of independent random variables. *Israel J. Math.* **8**, 273 - 303.

#### **Section 1.6: Glivenko-Cantelli theorems**

- Blum, J. R. (1955). On the convergence of empiric distributions. *Ann. Math. Statist.* **26**, 527 - 529.
- DeHardt, J. (1971). Generalizations of the Glivenko-Cantelli theorem. *Ann. Math. Statist.* **42**, 2050-2055.
- Dudley, R. M. (1984). A Course on Empirical Processes (École d'Été de Probabilités de Saint-Flour XII-1982). *Lecture Notes in Mathematics* **1097**, 2 - 141 (P. L. Hennequin, ed.). Springer-Verlag, New York.
- Dudley, R. M. (1998a). Consistency of M-estimators and one-sided bracketing. In *Proceedings of the First International Conference on High-Dimensional Probability*, 33 - 58. E. Eberlein, M. Hahn, and M. Talagrand, editors. Birkhäuser, Basel.
- Dudley, R. M., Giné, E., and Zinn, J. (1991). Uniform and universal Glivenko-Cantelli classes. *J. Theoret. Probab.* **4**, 485-510.
- Giné, E. and Zinn, J. (1984). Some limit theorems for empirical processes. *Ann. Probab.* **12** (1984), 929-989.
- Giné, E. and Zinn, J. (1986). Lectures on the central limit theorem for empirical processes. Probability and Banach Spaces, Zaragoza, Spain. *Lecture Notes in Math.* **1221**, 50-113.
- Le Cam, L. (1953). On some asymptotic properties of maximum likelihood estimates and related estimates. *Univ. Calif. Publ. in Statist.* **1**, 277 - 330.
- Ledoux, M. and Talagrand, M. (1991). *Probability in Banach Spaces*. Springer-Verlag, Berlin.
- Pollard, D. (1981). Limit theorems for empirical processes. *Zeitschrift für Wahrscheinlichkeitstheorie und Verwandte Gebiete* **57**, 181 - 195.
- Steele, M. (1978). Empirical discrepancies and subadditive processes. *Ann. Probability* **6**, 118 - 127.
- Van der Vaart, A. W. (1996). Efficient maximum likelihood estimation in semiparametric mixture models. *Ann. Statist.* **24**, 862-878.
- Van der Vaart, A. W. and Wellner, J. A. (1996). *Weak Convergence and Empirical Processes*. Springer-Verlag, New York.
- Van der Vaart, A. W. and Wellner, J. A. (2000). Preservation theorems for Glivenko-Cantelli and uniform Glivenko-Cantelli classes, pp. 115 - 134 In *High Dimensional Probability II*, Evarist Giné, David Mason, and Jon A. Wellner, editors, Birkhäuser, Boston.
- Vapnik, V. N. and Chervonenkis, A. Ya. (1971). On the uniform convergence of relative frequencies of events to their probabilities. *Theory of Probability and Its Applications* **16**, 264 - 280.
- Vapnik, V. N. and Chervonenkis, A. Ya. (1981). Necessary and sufficient conditions for the uniform convergence of means to their expectations. *Theory of Probability and Its Applications* **26**, 532 - 553.

Wald, A. (1949). Note on the consistency of the maximum likelihood estimate. *Ann. Math. Statist.* **20**, 595 - 601.

### Section 1.7: Donsker theorems

Andersen, N. T., Giné, E., Ossiander, M., and Zinn, J. (1988). The central limit theorem and the law of iterated logarithm for empirical processes under local conditions. *Probability Theory and Related Fields* **77**, 271-305.

Arcones, M. and Giné, E. (1993). Limit theorems for U-processes. *Ann. Probability* **21**, 1494 - 1452.

Durst, M. and Dudley, R. M. (1981). Empirical processes, Vapnik-Chervonenkis classes and poisson processes. In *Probab. Math. Statist.* (Wroclaw) **1**, 109-115.

Giné, E. and Guillou, A. (2001). On consistency of kernel density estimators for randomly censored data: rates holding uniformly over adaptive intervals. *Ann. I. H. Poincaré* **4** (2001), 503-522.

Giné, E., Koltchinskii, V., and Wellner, J. A. (2003). Ratio limit theorems for empirical processes. In *Stochastic Inequalities and Applications*, Proceedings of the Euro-Conference on Stochastic Inequalities helds at Barcelona, June 18-22, 2002, 249 - 278. E. Giné, Christian Houdré, and David Nulart, eds.

Giné, E. and Zinn, J. (1984). Some limit theorems for empirical processes. *Ann. Probab.* **12** (1984), 929-989.

Giné, E. and Zinn, J. (1986). Lectures on the central limit theorem for empirical processes. Probability and Banach Spaces, Zaragoza, Spain. *Lecture Notes in Math.* **1221**, 50-113.

Le Cam, L. (1983). A remark on empirical measures. In *Festschrift for E. L. Lehmann*, pages 305-327. Eds. P. Bickel, K. doksum, and J. Hodges. Wadsworth, Belmont.

Loève, M. (1978). *Probability, II*. Fourth Edition. Springer, New York.

Ossiander, M. (1987). A central limit theorem under metric entropy with  $L_2$  bracketing. *Ann. Probability* **15**, 897 - 919.

Pisier, G. (1984). Remarques sur les classes de Vapnik-Chervonenkis. *Ann. Inst. H. Poincaré* **20**, 287-298.

Pollard, D. (1982). A central limit theorem for empirical processes. . *J. austral. Math. Soc. Ser. A* **33**, 235-248.

Koltchinskii, V. I. (1981). On the central limit theorem for empirical measures. *Theor. Probab. Math. Statist.* **24**, 63 - 75.

### Section 1.8: VC - theory: bounding uniform covering numbers

Ball, K. and Pajor, A. (1990). The entropy of convex bodies with “few” extreme points. In *Geometry of Banach Spaces, Proceedings of the conference held in Strobl, Austria, 1989, London Mathematical Society Lecture Note Series* **158**, 25 - 32, P.F.X. Müller and W. Schachermayer, eds.

- Carl, B. (1997). Metric entropy of convex hulls in Hilbert spaces. *Bull. London Math. Soc.* **29** 452 - 458.
- Carl, B., Kyrezi, I. and Pajor, A. (1999). Metric entropy of convex hulls in Banach spaces. *J. London Math. Soc.* **60**, 871 - 896.
- Dudley, R. M. (1978). Central limit theorems for empirical measures. *Ann. Probab.* **6**, 899-929.
- Dudley, R. M. (1987). Universal Donsker classes and metric entropy. *Ann. Probability* **15**, 1306 - 1326.
- Dunford, N. and Schwartz, J. T. (1958). *Linear Operators. Part I.* Wiley-Interscience, New York.
- Hausler, D.(1995). Sphere packing numbers for subsets of the Boolean  $n$ -cube with bounded Vapnik-Chervonenkis dimension. *J. Comb. Theory A* **69**, 217 - 232.
- Laskowski, M. C. (1992). Vapnik-Chervonenkis classes of definable sets. *J. London Math. Soc.* **45**, 377 - 384.
- Mendelson, S. (2001). On the size of convex hulls of small sets. *J. Machine Learning Res.* **2**, 1 - 18.
- Nolan, D. and Pollard, D. (1987). U-processes: rates of convergence. *Ann. Statist.* **15**, 780 - 799.
- Nolan, D. and Pollard, D. (1988). Functional limit theorems for  $U$ -processes. *Ann. Probab.* **16**, 1291 - 1298.
- Olshen, R. A., Biden, E. N., Wyatt, M., and Sutherland, D. H. (1989). Gait analysis and the bootstrap. *Ann. Statist.* **17**, 1419 - 1440.
- Rudin, W. (1973). *Functional Analysis.* McGraw-Hill, New York.
- Song, S. and Wellner, J. A. (2002). An upper bound for uniform entropy numbers. Technical Report No. **406**, Department of Statistics, University of Washington. Available at <http://www.stat.washington.edu/www/research/reports/#2002/tr409.ps>
- Stengle, G., and Yukich, J. E. (1989). Some new Vapnik-Chervonenkis classes. *Ann. Statist.* **17**, 1441-1446.
- Van der Vaart, A. W. and Wellner, J. A. (1996). *Weak Convergence and Empirical Processes.* Springer-Verlag, New York.

### Section 1.9: Bracketing numbers

- Birman, M. S. and Solomjak, M. Z. (1967). Piece-wise polynomial approximations of functions in the classes  $W_p^\alpha$ . *Mathematics of the USSR Sbornik* **73**, 295-317.
- Birgé, L. and Massart, P. (2000). An adaptive compression algorithm in Besov spaces. *Const. Approx.* **16**, 1 - 36.
- Bolthausen, E. (1978). Weak convergence of an empirical process indexed by the closed convex subsets of  $I^2$ . *Z. Wahrscheinlichkeitstheorie verw. Gebiete* **43**, 173 - 181.

- Bronstein, E. M. (1976). Epsilon-entropy of convex sets and functions. *Siberian Math. J.* **17** 393-398.
- Clements, G. F. (1963). Entropies of sets of functions of bounded variation. *Canadian J. Math.* **15**, 422 - 432.
- DeVore, R. and Lorentz, G. G. (1993). *Constructive Approximation*. Springer-Verlag, Berlin.
- Hanson, D. L., Pledger, G., and Wright, F. T. (1973). On consistency in monotonic regression. *Ann. Statist.* **1**, 401 - 421.
- Kolmogorov, A. N. and Tikhomirov, V. M. (1959).  $\epsilon$ -entropy and  $\epsilon$ -capacity of sets in function spaces. *Uspekhi Mat. Nauk* **14**, 3 - 86. (Engl. Translation in *American Mathematical Society Translations* (**2**) **17** (1961), 277 - 364.
- Lorentz, G. G. (1966). *Approximation of Functions*. Holt, Rhinehart, Winston, New York.
- Strassen, V. and Dudley, R. M (1969). The central limit theorem and epsilon-entropy. *Lecture Notes in Mathematics* **89**, 224-231. Springer-Verlag, Berlin.
- Van de Geer, S. (1991). The entropy bound for monotone functions. *Technical Report 91-10*, University of Leiden.
- Van de Geer, S. (2000). *Empirical Processes in M-Estimation*. Cambridge University Press, Cambridge.
- Van der Vaart, A. W. (1994). Bracketing smooth functions. *Stoch. Proc. Applic.* **52**, 93-105.
- Van der Vaart, A. W. (1996). New Donsker classes. *Ann. Probability*, **24**, 2128-2140.
- Wright, F. T. (1981). The empirical discrepancy over lower layers and a related law of large numbers. *Ann. Probab.* **9**, 323 - 329.
- Section 1.10: Multiplier inequalities and the multiplier CLT**
- Giné, E. and Zinn, J. (1984). Some limit theorems for empirical processes. *Ann. Probab.* **12** (1984), 929-989.
- Giné, E. and Zinn, J., *Lectures on the central limit theorem for empirical processes*. Probability and Banach Spaces, Zaragoza, Spain. *Lecture Notes in Math.*, **1221** (1986), 50-113.
- Ledoux, M. and Talagrand, M. (1986). Conditions d'intégrabilité pour les multiplicateurs dans le TLC Banachue. *Ann. Probability* **14**, 916-921.
- Ledoux, M. and Talagrand, M. (1988). Un critère sur les petite boules dans le théorème limite central. *Probability Theory and Related Fields* **77**, 29 - 47.
- Section 1.11: Further Developments: Material Not Covered**
- Alexander, K. S. (1987a). Central limit theorems for stochastic processes under random entropy conditions. *Probab. Theory Related Fields* **75**, 351-378.

- Alexander, K. S. (1987b). Rates of growth and sample moduli for weighted empirical processes indexed by sets. *Probab. Theory Related Fields* **75**, 379-423.
- Alexander, K. S. (1987c). The central limit theorem for weighted empirical processes indexed by sets. *J. Multivariate Anal.* **22**, 313-339.
- Andersen, N. T., Giné, E., Ossiander, M., and Zinn, J. (1988). The central limit theorem and the law of iterated logarithm for empirical processes under local conditions. *Probability Theory and Related Fields* **77**, 271-0305.
- Andrews, D. W. K. and Pollard, D. (1994). An introduction to functional central limit theorems for dependent stochastic processes. *Int. Statist. Rev.* **62**, 119 - 132.
- Arcones, M. A. and Yu, Bin (1994). Limit theorems for empirical processes under dependence. In *Chaos expansions, multiple Wiener-Ito integrals and their applications*, C. Houdre and V. Perez-Abreu, eds. CRC Press, Boca Raton.
- Bercu, B., Gassiat, E., Rio, E. (2002). Concentration inequalities, large and moderate deviations for self-normalized empirical processes. *Ann. Probab.* **30**, 1576-1604.
- Dedecker, J. and Rio, E. (2000). On the functional central limit theorem for stationary processes. *Ann. Inst. H. Poincaré Probab. Statist.* **36**, 1-34.
- Dehling, H., Mikosch, T., and Sorensen, M. (2002). *Empirical Process Techniques for Dependent Data*. Birkhäuser, Boston.
- de la Peña, V. H., and Giné, E. *Decoupling. From dependence to independence*. Springer-Verlag, New York, 1999.
- Doukhan, P., Massart, P., and Rio, E. (1994). The functional central limit theorem for strongly mixing processes. *Ann. Inst. Henri Poincaré* **30**, 63 - 82.
- Dudley, R. M. and Koltchinskii, V. I. (1995). Envelope moment conditions and Donsker classes. *Theory Probab. Math. Statist.* **51**, 39-49.
- Dudley, R. M., and Philipp, W. (1983). Invariance principles for sums of Banach space valued random elements and empirical processes. *Zeitschrift für Wahrscheinlichkeitstheorie und Verwandte Gebiete* **62** 509-552.
- Giné, E. (1997). Decoupling and limit theorems for U-statistics and U-processes. In *Lectures on Probability Theory and Mathematical Statistics, Lectures Notes in Mathematics* **1665**, 1 - 36. Springer, Berlin.
- Koltchinskii, V. I. (1994). Komlos-Major-Tusnady approximation for the general empirical process and Haar expansions of classes of functions. *J. Theoret. Probab.* **7**, 73-118.
- Ledoux, M. and Talagrand, M. (1989). Comparison theorems, random geometry and some limit theorems for empirical processes. *Ann. Probab.* **17**, 596 - 631.
- Pollard, D. (1995). Uniform ratio limit theorems for empirical processes. *Scand. J. Statist.* **22**, 271 - 278.

- Rio, E. (1994). Local invariance principles and their application to density estimation. *Probab. Theory Related Fields* **98**, 21-45.
- Rio, E. (1998). Processus empiriques absolument réguliers et entropie universelle. [Absolutely regular empirical processes and universal entropy] *Probab. Theory Related Fields* **111**, 585 - 608.

### **Section 2.1: Consistency of Maximum Likelihood Estimators**

- Balabdaoui, F. (2003). Estimation in some mixture models: direct and inverse problems. Ph.D. dissertation in progress, University of Washington.
- Bauer, H. (1972). *Probability Theory and Elements of Measure Theory*. Holt, Rinehart, and Winston, New York.
- Birgé, L. and Massart, P. (1993). Rates of convergence for minimum contrast estimators. *Prob. Theory and Related Fields* **97**, 113-150.
- Groeneboom, P., Jongbloed, G., and Wellner, J. A. (2001). Estimation of a convex function: characterizations and asymptotic theory. *Ann. Statist.* **29**, 1653-1698.
- Jewell, N. P. (1982) Mixtures of exponential distributions. *Ann. Statist.* **10**, 479 - 484.
- Jewell, N. P. and Kalbfleisch, J. D. (2001) Maximum likelihood estimation of ordered multinomial parameters. Working Paper 2001-09, Department of Statistics and Actuarial Science, University of Waterloo.
- Jewell, N. P., Van der Laan, and Henneman, T. (2001). Nonparametric estimation from current status data with competing risks. Technical Report 97, Department of Biostatistics, University of California, Berkeley.
- Kiefer, J. and Wolfowitz, J. (1956). Consistency of the maximum likelihood estimator in the presence of infinitely many nuisance parameters. *Ann. Math. Statist.* **27**, 887 - 906.
- Pfanzagl, J. (1988). Consistency of maximum likelihood estimators for certain nonparametric families, in particular: mixtures. *J. Statist. Planning and Inference* **19**, 137 - 158.
- Prakasa Rao, B. L. S. (1969). Estimation of a unimodal density. *Sankhya Ser. A* **31**, 23 - 36.
- Schick, A. and Yu, Q. (2000), Consistency of the GMLE with Mixed Case Interval-Censored Data, *Scand. J. Statist.* **27**, 45-55.
- Van de Geer, S. (1993). Hellinger consistency of certain nonparametric maximum likelihood estimators. *Ann. Statist.* **21**, 14 - 44.
- Van de Geer, S. (1996). Rates of convergence for the maximum likelihood estimator in mixture models. *J. Nonparametric Statist.* **6**, 293 - 310.

### **Section 2.2: M-Estimators: the Argmax Continuous Mapping Theorem**



Davies, L. (1992). The asymptotics of Rousseeuw's minimum volume ellipsoid estimator. *Ann. Statist.* **20**, 1828 - 1843.

Grübel, R. (1988). The length of the shorth. *Ann. Statist.* **16**, 619-628.

Kim, J. and Pollard, D. (1990). Cube root asymptotics. *Ann. Statist.* **18**, 191 - 219.

Shorack, G. R. and Wellner, J. A. (1986). *Empirical Processes with Applications to Statistics*. Wiley, New York.

Van der Vaart, A. W. (1998). *Asymptotic Statistics*. Cambridge University Press, Cambridge.

### **Section 2.3: Rates of Convergence**

Birgé, L. and Massart, P. (1993). Rates of convergence for minimum contrast estimators. *Prob. Theory and Related Fields* **97**, 113-150.

Van de Geer, S. (1996). Rates of convergence for the maximum likelihood estimator in mixture models. *J. Nonparametric Statist.* **6**, 293 - 310.

Van der Vaart, A. W. and Wellner, J. A. (1996). *Weak Convergence and Empirical Processes*. Springer-Verlag, New York.

Wong, W. H. and Shen, X. (1995). Probability inequalities for likelihood ratios and convergence rates for sieve MLEs. *Ann. Statist.* **23**, 339 - 362.

### **Section 2.4: M-Estimators and Z-Estimators**

de la Peña, V. H., and Giné, E. *Decoupling. From dependence to independence*. Springer-Verlag, New York, 1999.

Giné, E. (1996). Empirical processes and applications. *Bernoulli* **2**, 1 - 28.

Giné, E. (1997). Lectures on some aspects of the bootstrap. In *Lectures on Probability Theory and Mathematical Statistics, Lectures Notes in Mathematics* **1665**, 37 - 152. Springer, Berlin.

Huber, P. J. (1967). The behavior of maximum likelihood estimates under nonstandard conditions. *Proc. Fifth Berkeley Symp. Math. Statist. Prob.* **1**, 221 - 233. Univ. California Press.

Pollard, D. (1985). New ways to prove central limit theorems. *Econometric Theory* **1**, 295 - 314.

Van der Vaart, A. W. (1995). Efficiency of infinite-dimensional  $M$ -estimators. *Statistica Neerl.* **49**, 9 - 30.

### **Section 2.5: Bootstrap Empirical Processes**

Giné, E. and Zinn, J. (1990). Bootstrapping general empirical measures. *Ann. Probability* **18**, 851 - 869.

Klaassen, C. A. J. and Wellner, J. A. (1992). Kac empirical processes and the bootstrap. *Proceedings of the Eighth International Conference on Probability in Banach Spaces*, 411 - 429 (eds. M. Hahn and J. Kuelbs), Birkhäuser, New York.

Praestgaard, J. and Wellner, J. A. (1993). Exchangeably weighted bootstraps of the general empirical process. *Ann. Probability* **21**, 2053 - 2086.

### **Section 2.6: Bootstrapping M- and Z- estimators**

Arcones, M. A. and Giné, E. (1992). Bootstrap of M estimators and related statistical functionals. *Exploring the Limits of Bootstrap*, 14-17, R. LePage and L. Billard, eds. Wiley, New York.

Wellner, J. A. and Zhan, Y. (1996). Bootstrapping Z-estimators. Technical Report 308, Department of Statistics, University of Washington.

### **Section 2.7: Semiparametric Mixture Models**

Bickel, P. J., Klaassen, C.A.J., Ritov, Y., and Wellner, J. A. (1993). *Efficient and Adaptive Estimation for Semiparametric Models*, Johns Hopkins University Press.

Kiefer, J. and Wolfowitz, J. (1956). Consistency of the maximum likelihood estimator in the presence of infinitely many nuisance parameters. *Ann. Math. Statist.* **27**, 887 - 906.

Lindsay, B. G. (1983). Efficiency of the conditional score in a mixture setting. *Ann. Statist.* **11**, 486 - 497.

Pfanzagl, J. (1988). Consistency of maximum likelihood estimators for certain nonparametric families, in particular: mixtures. *J. Statist. Plann. Inference* **19**, 137 - 158.

Pfanzagl, J. (1990). *Estimation in Semiparametric Models*. Springer, New York.

Van der Vaart, A. W. (1988). Estimating a real parameter in a class of semiparametric models. *Ann. Statist.* **16**, 1450 - 1474.

Van der Vaart, A. W. (1996). Efficient maximum likelihood estimation in semiparametric mixture models. *Ann. Statist.* **24**, 862-878.

### **Section 2.8: Profile Likelihood**

Murphy, S. A. and Van der Vaart, A.W. (1997). Semiparametric likelihood ratio inference. *Ann. Statist.* **25**, 1471 - 1509.

Murphy, S. A. and Van der Vaart, A.W. (1999). Observed information in semiparametric models. *Bernoulli* **5**, 381 - 412.

Murphy, S. and Van der Vaart, A. W. (2000). On profile likelihood. *J. Amer. Statist. Assoc.* **95**, 449 - 485.

Van der Vaart, A. W., Murphy, S. A., and Wellner, J. A. (1999). Current status regression. *Mathematical Methods of Statistics* **8**, 407 - 425.

Qin, J. and Wong, A. (1996). Empirical likelihood in a semiparametric model. *Scand. J. Statist.* **23**, 209-220.

Severini, T. A. and Wong, W. H. (1992). Profile likelihood and conditionally parametric models. *Ann. Statist.* **20**, 1768-1862.

### **Section 2.9: Further Developments: Topics Not Covered**

Barron, A. Birgé, L., Massart, P. (1999). Risk bounds for model selection via penalization. *Probab. Theory Related Fields* **113**, 301-413.

Birgé, L., Massart, P. (1997). From model selection to adaptive estimation. *Festschrift for Lucien Le Cam*, 55–87, Springer, New York.

Birgé, L., and Massart, P. (1998). Minimum contrast estimators on sieves: exponential bounds and rates of convergence. *Bernoulli* **4**, 329-375.

Birgé, L. and Massart, P. (2001). Gaussian model selection. *J. Eur. Math. Soc. (JEMS)* **3**, 203–268.

Ghosal, S., and van der Vaart, A. W. (2001) Entropies and rates of convergence for maximum likelihood and Bayes estimation for mixtures of normal densities. *Ann. Statist.* **29**, 1233 - 1263.

Massart, P. (2000). Some applications of concentration inequalities to statistics. *Probability theory. Ann. Fac. Sci. Toulouse Math.* (6) **9**, 245–303.

Van der Vaart, A. W. (1994a). Maximum likelihood estimation with partially censored data. *Ann. Statist.* **22**, 1896 - 1916.

### **Section 3.1:**

Azuma, K. (1967). Weighted sums of certain dependent random variables. *Tokoku Math J.* **19**, 357 - 367.

Birnbaum, Z. W. and McCarty, R. C. (1958). A distribution-free upper confidence bound for  $P(Y < X)$  based on independent samples of  $X$  and  $Y$ . *Ann. Math. Statist.* **29**, 558 - 562.

Dvoretzky, A., Kiefer, J., and Wolfowitz, J. (1956). Asymptotic minimax character of the sample distribution functions and of the classical multinomial estimator. *Ann. Math. Statist.* **27**, 642-669.

Hoeffding, W. (1963). Probability inequalities for sums of bounded random variables. *J. Amer. Statist. Assoc.* **58**, 13-30.

Kiefer, J. (1961). On large deviations of the empiric d.f. of vector chance variables and a law of the iterated logarithm. *Pacific J. Math.* **11**, 649 - 660.

Koltchinskii, V. (2001). Rademacher penalties and structural risk minimization. *IEEE Trans. Inform. Theory* **47**, 1902–1914.

Massart, P. (1990). The tight constant in the Dvoretzky-Kiefer-Wolfowitz inequality. *Ann. Probability* **18**, 1269 - 1283.

- McDiarmid, C. (1989). On the method of bounded differences. In *Surveys in Combinatorics, 1989*, pages 148 - 188. Cambridge University Press, Cambridge.
- Talagrand, M. (1994). Sharper bounds for Gaussian and empirical processes. *Ann. Probability* **22**, 28 -76.
- Yurinskii, Y.V. (1974). Exponential bounds for large deviations. *Theor. Probab. Appl.* **19**, 154 - 155.
- Yurinskii, Y.V. (1976). Exponential inequalities for sums of random vectors. *J. Mult. Anal.* **6**, 473 - 499.
- Section 3.2:**
- Bousquet, O. (2002). Concentration inequalities and empirical process theory applied to the analysis of learning algorithms. Ph.D. dissertation, Ecole Polytechnique, Paris.
- Bousquet, O. (2002). A Bennett concentration inequality and its application to suprema of empirical processes. *C. R. Acad. Sci. Paris Ser. I* **334**, 495-500.
- Bousquet, O. (2003). Concentration inequalities for sub-additive functions using the entropy method. *Proceedings of Stochastic Inequalities 2002*. E. Giné and C. Houdre, eds. Birkhäuser, Boston. (in press). Available at <http://www.kyb.tuebingen.mpg.de/publication.html?user=bousquet>.
- Borell, C. (1975). The Brunn-Minkowski inequality in Gauss-space. *Invent. Math.* **30**, 207-216.
- Dembo, A. (1997). Information inequalities and concentration of measure. *Ann. Probability* **25** 927 - 939.
- Diaconis, P. and Freedman, D. (1987). A dozen de Finetti-style results in search of a theory. *Ann. Inst. H. Poincaré* **1**, 397 - 423.
- Erhard, A. (1983). Symmetrisation dans l'espace de Gauss. *Math. Scand.* **53**, 281-301.
- Erhard, A. (1984). Inégalités isopérimétriques et intégrales de Dirichlet gaussiennes. *Ann. Scient. Ec. Norm. Sup.* **17**, 317 - 332.
- Erhard, A. (1986). Elements extrémaux pour les inégalités de Brunn-Minkowski gaussiennes. *Ann. Inst. H. Poincaré* **22**, 149 - 168.
- Giné, E., Koltchinskii, V., and Wellner, J. A. (2003). Ratio limit theorems for empirical processes. *Proceedings of Stochastic Inequalities 2002*. E. Giné and C. Houdre, eds. Birkhäuser, Boston. (in press). Available at <http://www.stat.washington.edu/jaw/RESEARCH/PAPERS/available.html/ratios-BCN3-final.pdf>.
- Klein, T. (2002). Une inégalité de concentration à gauche pour les processus empiriques. *C. R. Math. Acad. Sci. Paris* **334**, 501-504.
- Ledoux, M. (1996a). Isoperimetry and Gaussian Analysis. *Ecole d'Eté de Probabilités de St-Flour, Lecture Notes in Math.* **1648**, 165 - 294.

- Ledoux, M. (1996b). On Talagrand's deviation inequalities for product measures. *ESAIM: Probability and Statistics* **1**, 63 - 87. <http://www.emath.fr/ps/>.
- Ledoux, M. (2001). *The Concentration of Measure Phenomenon. Mathematical Surveys and Monographs* **89**. American Mathematical Society.
- Ledoux, M. and Talagrand, M. (1991). *Probability in Banach Spaces*. Springer-Verlag, Berlin. Chapter 1, pages 14 -34.
- Massart, P. (2000a). About the constants in Talagrand's concentration inequalities for empirical processes. *Ann. Probability* **28**, 863-884.
- Massart, P. (1998). Optimal constants for Hoeffding type inequalities. Preprint, Université de Paris-Sud, Mathématiques.
- Massart, P. (2000b). Some applications of concentration inequalities to statistics. Probability theory. *Ann. Fac. Sci. Toulouse Math.* **6**, 245 - 303.
- Rio, E. (2001). Inégalités de concentration pour les processus empiriques de classes de parties. *Probab. Theory Related Fields* **119**, 163 - 175.
- Talagrand, M. (1989). Isoperimetry and integrability of the sum of independent Banach space valued random variables. *Ann. Probability* **17**, 1546-1570.
- Talagrand, M. (1992). A new isoperimetric inequality for product measure and the tails of sums of independent random variables. *Geometric and Functional Analysis* **1**, 211 - 223.
- Talagrand, M. (1995). Concentration of measure and isoperimetric inequalities in product spaces. *Publications Mathématiques de l'I.H.E.S.* **81**, 73 - 205.
- Talagrand, M. (1996). New concentration inequalities in product spaces. *Invent. Mathematicae* **126**, 505-563.
- Van der Vaart, A. W. and Wellner, J. A. (1996). *Weak Convergence and Empirical Processes*. Springer-Verlag, New York.